

Good afternoon: warm up in notebooks

(AP questions; no calculator)

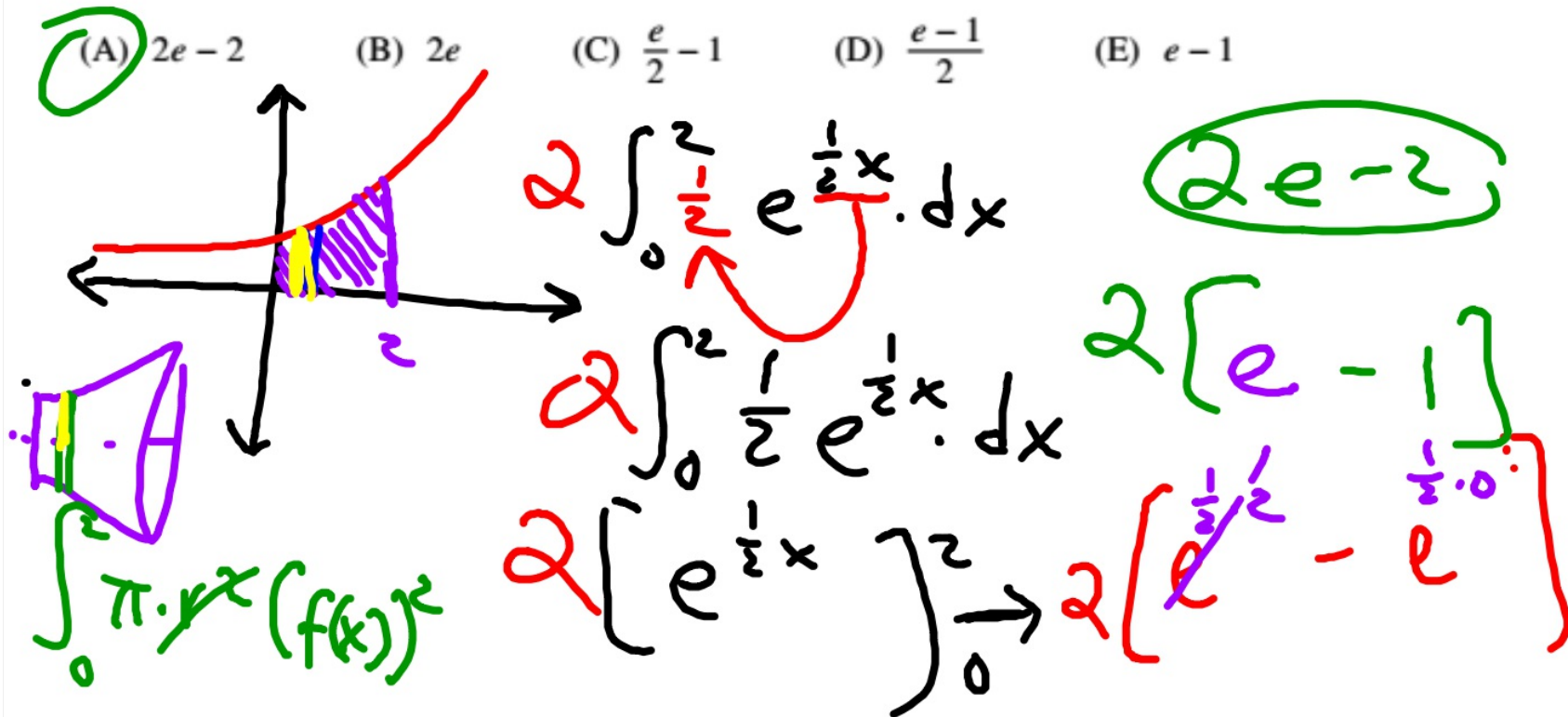
A particle moves along the x -axis. The velocity of the particle at time t is $6t - t^2$. What is the total distance traveled by the particle from time $t = 0$ to $t = 3$?

- (A) 3 (B) 6 (C) 9 (D) 18 (E) 27

$$\int_0^3 6t - t^2 dt = \left[3t^2 - \frac{1}{3}t^3 \right]_0^3 = 18$$

What is the area of the region in the first quadrant bounded by the graph of $y = e^{x/2}$ and the line $x = 2$?

- (A) $2e - 2$ (B) $2e$ (C) $\frac{e}{2} - 1$ (D) $\frac{e-1}{2}$ (E) $e - 1$



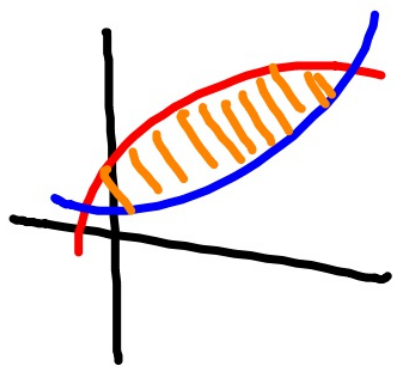
HW

Area Between Curves Handout Answers

1. 13
2. $253/12$
3. $27/2$
4. $253/24$
5. $40/3$
6. $125/6$
7. $125/12$
8. $59/3$
9. 16
10. 8

AP Free Response Problems on Area Between Curves

- Work with a partner
- Copy problem/graph neatly onto chart paper
- Find limits of integration (intersection pts) when needed!!!
- Use colors mindfully (same color for curve + function in integral)
- Show correct set up for integral, then calculator answer to 3 decimals



$$\int \text{red} - \text{blue}$$



Net Change Theorem (notes)

$$\int_a^b f'(x) dx = f(b) - f(a) \quad \text{FTC}$$

↓

$$f(a) + \int_a^b f'(x) dx = f(b)$$

≈

$$\underbrace{f(b)}_{\text{future value}} = \underbrace{f(a)}_{\text{starting value}} + \underbrace{\int_a^b f'(x) dx}_{\text{accumulated change}}$$

Net change
theorem

The amount of money at $t=3$ in a college fund is \$4000. It grows at a rate of $2e^{0.05t}$ ^{\$/yr} for $t \geq 3$. How much money is in the fund in 2017? ($t=17$).

$$f(17) = f(3) + \int_3^{17} 2e^{0.05t} dt$$

$$= 4000 + 47.11$$

$$= \$4047.11$$

P. 313

#41-55

63-70

