

Good afternoon

no warm up

volume assessments are being passed back

set with table
on pg 1: 4/20

new handouts:

All: Q4 skills list

new practice assessment (will assess in class Weds.)

'drainpipe' 4/24

Testers: 12 free response problems: first 6 due 4/20; last 6 due 4/24
will be graded by AP key, converted to 100-96-86-66-50
error analysis will count as retake to earn back points

Non-testers: Roller Coaster Project prompt, due 4/28

Wed Apr 12 test prep in DS, **assess** in class, presentation work time

thu Apr 13 testers day for DS: timed FRQ practice

Mon Apr 17(B) Limits/Continuity, Taking Derivatives, Applying Derivatives

thu apr 20: testers stay for DS: finish and turn in first 6 FRQ

Fri Apr 21 Antiderivatives and Riemann, Definite Integrals/FTC

Mon Apr 24: *second 6 FRQ due*; Timed AP multiple choice in class; rollercoaster work time

Wed Apr 26: AP review problem sets; rollercoaster work time

thu apr 27: testers stay for DS: timed FRQ practice

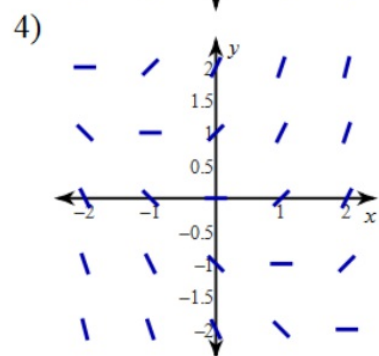
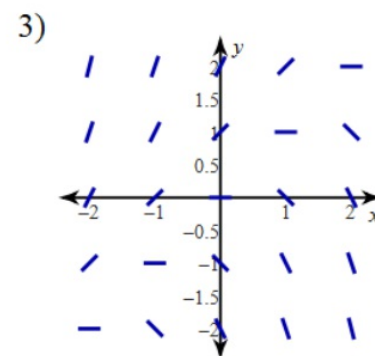
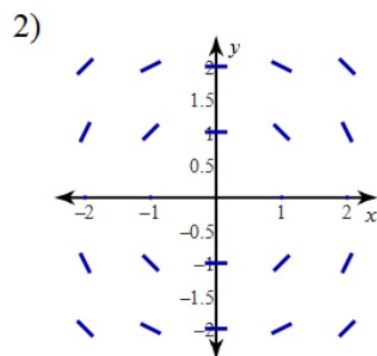
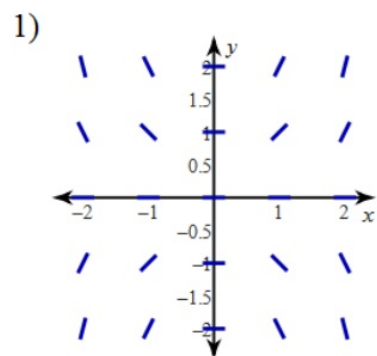
Fri Apr 28: AP motion review; rollercoaster work time, due at end of class

Saturday Apr 29: Timed test here at school, 9a-1230p

donuts and coffee and bananas provided

testers must stay for DS Thursday...suggest that all do honestly!

Slope fields hw



14: E

27: A

middle of the page: C

ex 1: The rate of change of the volume V of water in a tank with respect to time t is directly proportional to the square root of the volume. Write a differential equation that describes this relationship.

$$\frac{dV}{dt} = K\sqrt{V}$$

↑
Constant
of
proportionality

From the video:

$$\frac{dB}{dt} = k \cdot B \implies B(t) = C e^{kt}$$

Shortcut (good to know)

$$\frac{dy}{dt} = kY \longrightarrow Y = C e^{kt}$$

growth factor (pointing to k)

initial population (pointing to C)

$$\left\{ \begin{array}{l} dy = kY dt \\ \int \frac{dy}{y} = \int k dt \end{array} \right.$$

$$\left\{ \int \frac{dy}{y} = \int k dt \right.$$

$$\left\{ \ln|y| = kt + c \right.$$

$$\left\{ y e^{kt+c} = y \Rightarrow e^{kt} \cdot \frac{C}{y} \right.$$

$$\left\{ \begin{array}{l} \frac{dF}{dt} = 1.5F \\ F(t) = C e^{1.5t} \end{array} \right.$$

Separation of Variables: Find y if

$$y' = 3y + 6$$

$$\left(\frac{dy}{dx} = 3y + 6 \right) \cdot dx$$

$$\frac{dy}{3y+6} = \frac{(3y+6) dx}{3y+6}$$

$$\int \frac{1}{3y+6} dy = \int 1 dx$$

$$\frac{1}{3} \int 3 \frac{1}{3y+6} dy = x + C$$

$$\frac{1}{3} [\ln|3y+6|] + C = x + C$$

$$\frac{1}{3} \ln|3y+6| = x + C$$

$$\ln|3y+6| = 3x + C$$

$$\log_e |3y+6| = 3x + C \iff e^{3x+C} = 3y+6$$

Expon-
entiation

$$e^{3x+C} = e^{3x} \cdot e^C$$

$$C e^{3x} = 3y+6$$

$$\frac{C e^{3x}}{3} - \frac{6}{3} = \frac{3y}{3}$$

$$\boxed{C e^{3x} - 2 = y}$$

sep. of variables

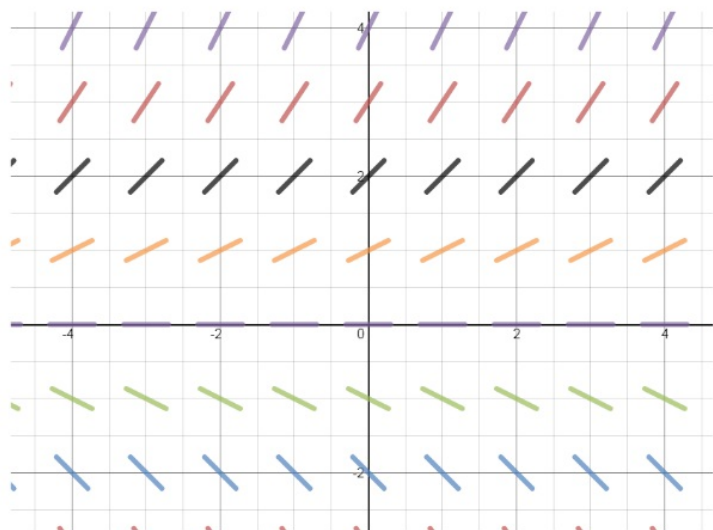
group x's and dx's
y's and dy.

Integrate both sides

General Solution

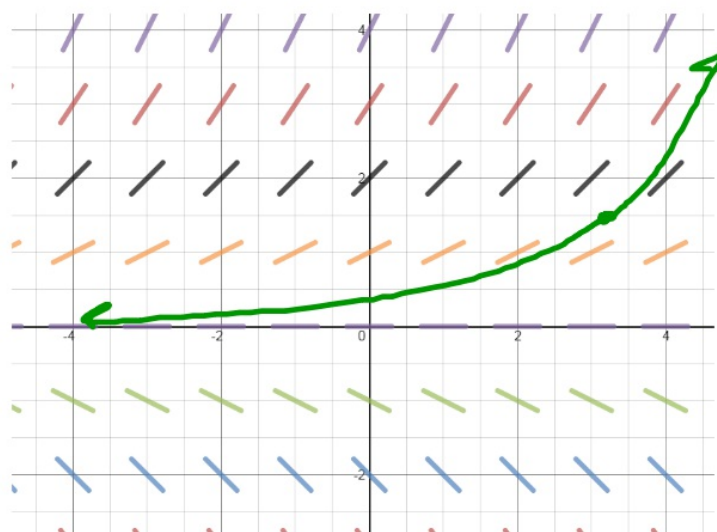
$$\frac{dy}{dx} = 2y$$

$$y = Ce^{2x}$$



Particular Solution

Initial Condition: (3,2)



Example: Let $\frac{dy}{dx} = \frac{-xy^2}{2}$ Find y with initial condition $y(-1)=2$

do practice assessment:

→ solutions will be posted on weebly asap

will study/review/answer q's in DS Wed before real test in class

